Fairness in Machine Learning

Beyond Observational Measures

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Preliminaries

Notation

The Philosophy of Fairness

Common Observational Notions of Fairness

Problems with Observational Notions of Fairness

Beyond Observational Measures

Aggregation \Rightarrow Finer-Grained Fairness

Obliviousness \Rightarrow Causality

Short-Sightedness \Rightarrow Modeling Long-Term Fairness

Preliminaries

Some ML/stats notation

Y: the target variable; outcome of interest; the ground truth

A: group membership in something protected (e.g. race, gender)

X: covariates; features; independent variables

Ŷ: what the ML program or decision-maker *think*s Y is; the predicted output

 ${f \hat{S}}$: risk scores, which are thresholded into 0 - 1 scores ${f \hat{Y}}$

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Machine Learning Task:

Learn $f : X \rightarrow \hat{Y}$ on a labeled set to minimize error on new observations

- Should people be penalized for factors outside their control?
- Should decisions try to ultimate rectify group-level inequalities?
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Common Observational Notions of Fairness

In theory, equally applicable to human decision-makers as algorithms

- How to test this fairness definition on an algorithm in a principled way?
- How to learn fairly with respect to this definition (fairness-aware classifiers)?

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Definition

 $\hat{Y} \perp A$

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The percentage of acceptances and rejections should be equivalent across protected groups:

$$P(\hat{Y} = 1 | A = a) \stackrel{?}{=} P(\hat{Y} = 1 | A = a')$$

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Related to p-% rules: The ratio of outcomes $\frac{p(Y|a')}{p(Y|a)}$ should not be less than less than p

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Problems:

- Not compatible with the ideal predictor $\hat{Y} = Y$
- Too strong: Y may correlate with A for "benign" reasons
- Also too weak: Possible for $\hat{Y} \not\perp A \mid V$ for some V

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Conditional Statistical Parity

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$\hat{Y} \perp A \mid X$

Within in each possible bucket of relevant information, the probability of decision is the same across protected groups

With enough X, this definition is equivalent to treating "nearby" individuals similarly (fairness through awareness, Dwork et al., 2012)

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Equalized Odds

Definition

$\hat{Y} \perp A \mid Y$

- Every equally qualified individual has an equal chance of receiving positive classification
- Equal rates of false positives (FP) and false negatives (FN)
- Compatible with perfect prediction
- Related to conditional statistical parity... except Y is not available for new observations
- *Retrospectively* getting the prediction right (how right were the predictions by group)

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Problems with Observational Notions of Fairness

Theorem

Calibration and **equalized odds** cannot both hold for a set of predictions, under two conditions:

- Perfection prediction is not achieved
- Background rates of Y are unequal across groups

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COMPAS Refresher

What COMPAS got right:

• Scores were *well-calibrated*:

$$E[Y = 1 | y = 0, A = black] = E[Y = 1 | y = 0, A = white]$$

Translation: Black people with a score of 7 were as likely to recidivate as white people with a score of 7

What COMPAS got wrong:

• Unequal false negative rates:

 $E[y = 0 | Y = 1, A = black] \neq E[y = 0 | Y = 1, A = white]$

Translation: White people who would actually recidivate almost twice as likely to be scored "low risk"

• Unequal false positive rates:

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...There's also a fairness v. fairness trade-off

What matters more: Getting answers prospectively v. retrospectively correct?

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Where does one set the threshold for decisions?

First, trying to be "fair" as defined above leads to different thresholds for different groups

But the direction of unfairness can be reversed with different distributions of risk scores! (Simoiu, Corbett-Davies, and Goel, 2017; Corbett-Davies et al., 2017)

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- Red individuals searched more often (area under the curve right of threshold)
- · Searches of red individuals are less successful

But in (b), blue individuals have the lower threshold!



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Beyond Observational Measures

We have to fix from the onset what a protected group is

Consider the following binary prediction task:

- Protected attributes are race (red or blue) and gender (male or female)
- An algorithm only predicts $\hat{Y} = 1$ for red males and blue females

"Fair" with respect to either race or gender considered alone

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Finer-Grained Fairness

Methods for assessing fairness on arbitrary subgroups:

- Learn a classification tree (Chouldechova, 2017)
- Use (carefully-constructed) statistical tests to find differential predictions across exponentially many groups (in linear time) (Zhang and Neill, 2016)

Methods for *learning fairly* on arbitrary subgroups:

- Kearns et al., 2017 provide a method for learning a fixed notion of fairness with respect to arbitrarily many subgroups (uses Learner-Auditor dynamics)
- Hébert-Johnson et al., 2017; Kim, Ghorbani, and Zou, 2018 learn more accurately with respect to arbitrary many subgroups (boosting)
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Causal Limitation of Observational Measures There are two scenarios with identical joint distributions, but completely different interpretations for fairness (Hardt, Price, and Srebro, 2016).

Causal models help us make this distinction.

- What unobserved variables are in our scenario, and what are their values? (What's the inherent risk?)
- What are the functional or *causal* relationship between variables in our scenario? (Kilbertus et al., 2017)
- Importantly, what would predictions have been if A had been different? (Kusner et al., 2017)

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Modeling Long-Term Fairness

- Fairness of a single decision (e.g. loan approval) does not consider the effect on the overall group
- So, what's the effect of different thresholds on populations on the *change* in *group credit score*?
- We can figure this out by calculating the effect of false positives and false negatives on credit score...
- "Fair" algorithms (demographic parity and equal opportunity) do worse than the unconstrained decision threshold!

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